CitySense and CabSense

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Sense Networks

- Startup company incorporated around 2006.
- Objective: Develop and leverage expertise in location data analytics.
- First product was called CitySense¹ (2008).
 - A real-time, data-driven guide to nightlife in San Francisco.

http://www.cs.columbia.edu/~jebara/papers/CitySense.JSM2009.pdf

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¹See "CitySense: Multiscale space time clustering of GPS points and trajectories" by Markus Loecher and Tony Jebara (2009).

CitySense (2008)



(Sadly, no longer in the App Store.)

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CitySense: Use Cases

Two use cases:

- I'm new to the city where does everybody hang out at night?
- I know the city, but is there anything special going on tonight?

CitySense: Data Source

• Taxi GPS data for sale in San Francisco



CitySense

- Main Idea: Taxi destinations are a proxy for where people are going.
- Can use taxi data to bootstrap
 - Once we had users, we could use the locations from their phones.
- Taxi feed is real-time, so can use it to find those big secret parties.

CitySense

Data Science Strategy

- Model "typical" behavior of each area of the city.
- 2 Rank areas with activity levels that are "most unusual".

We'll discuss modeling strategies shortly.

CabSense (2010): Second Product

Business objective

I'm in NYC, and I need a taxi. Where's the best place to find one?

Data Source

NYC Taxi and Limousine Commission provided GPS data from all taxi cabs. However, **not real-time**.

Main Idea

Historical taxi pickup frequency are predictive of future frequencies. Need to model pickup rates based on historical data.

CabSense (2010): Second Product



(Recently updated with fresh data.)

Picture courtesy of Blake Shaw.

Plan for this lecture

- We're going to focus on the CitySense "anomoly detection" problem.
- But we're going to use the NYC taxi pickup data, since we live in NYC.
- Our dataset is from 2009.
- Currently (2015/3/24) you can download 2013 data from http://chriswhong.com/open-data/foil_nyc_taxi/
- You can also request data directly from the NYC Taxi and Limousine Commission via the Freedom of Information Law. http://www.nyc.gov/html/tlc/html/passenger/records.shtml

Predicting Probability Distributions

- So far we've solved decision problems with a two types of action spaces:
 - $\mathcal{A} = \{-1, 1\}$ [hard classification, e.g. decision trees as used in AdaBoost]
 - $\mathcal{A} = \mathbf{R}$ [regression or soft classification]
- Today we consider a third type of action space:

 $\mathcal{A} = \{ \mathsf{Probability distributions a space } \mathcal{Y} \}$

• Why?

The Joy of Probability Distributions

- Output space $\mathcal{Y} = \mathbf{R}$.
- Machine computes conditional probability density on \mathcal{Y} given $x \in \mathfrak{X}$:

 $x \mapsto p(y \mid x)$

- If we know p(y | x), we can find a \hat{y} that minimizes any other loss function:
 - For square loss, give the mean of p(y | x). [From homework #1]
 - For ℓ_1 loss, give the median of p(y | x). [From homework #1]
 - etc.
- Gives idea of the possibilities of knowing the whole distribution.
- In practice, better to directly optimize the loss function of interest.

Probability Distributions for CitySense

- Suppose there are 100 taxi dropoffs
 - in a region R,
 - between 9pm and 10pm.
- Model predicts distribution p(y | x) for the number of pickups.
- $\mathbb{P}(y \ge 100) = \sum_{y=100}^{\infty} p(y \mid x)$ measures how unusual this event is.
- Decision on what's interesting enough to present to the user goes beyond data science.

Probability Distributions for Prediction Intervals

- Given a probability distribution,
 - it's straightforward to give **prediction intervals**.
- A 95% prediction interval is an interval [a, b] such that

 $\mathbb{P}(y \in [a, b] \mid x) \approx .95$

• We can get [a, b] by finding the 2.5% and 97.5% quantiles of p(y | x).

The Basic Approach

- Raw input is [roughly] continuous in
 - space (lat/lon) and
 - time (seconds since 1970-01-01).
- To make it easier to handle, we partition space and time into buckets.
- Spatial partitioning
 - Divide earth into regularly spaced grid cells.
 - About 400,000 grid cells to cover NYC
- Time partitioning
 - Only consider times at the hour level.
- Aggregate taxi pickup counts at the Grid Cell / Hour level.

Initial data analysis, including aggregation by grid cell and hour, was done by Blake Shaw.

Most Active Grid Cell: Penn Station (Grid ID 7750)

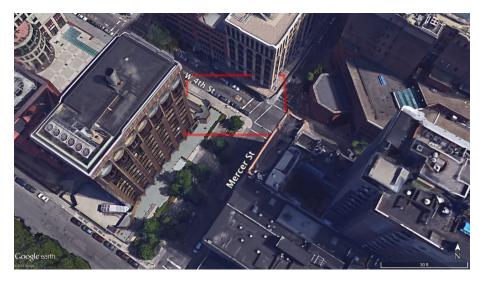


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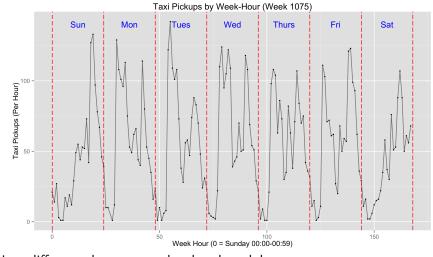
Most Active Grid Cell: Penn Station (Grid ID 7750)



Courant Institute (Grid ID 21272)



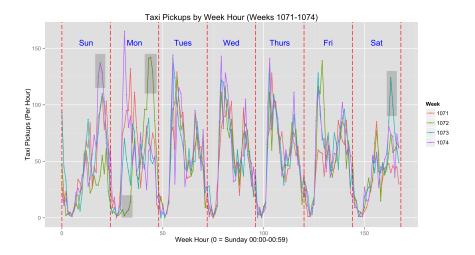
Penn Station (Cell 7750): 1300 Taxi Pickups Per Day



Note difference between weekend and weekday patterns.

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Penn Station (Cell 7750): Four Weeks, Some Outliers



Box and Whiskers Plot

• Box plot or box and whiskers plot concisely summarizes a sample of data.

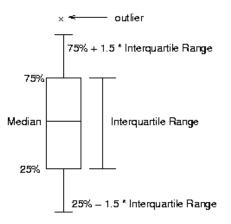
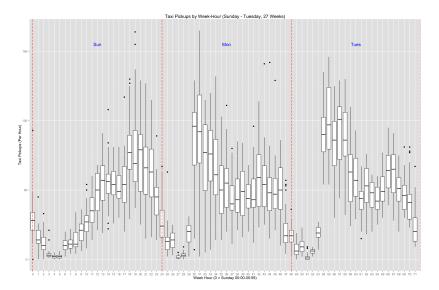


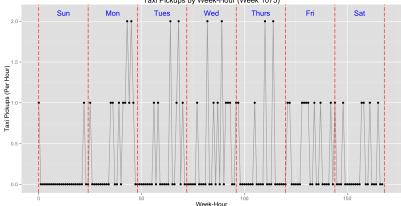
Figure from http://taps-graph-review.wikispaces.com/Box+and+Whisker+Plots.

Penn Station: Sunday-Tuesday, 27 Weeks



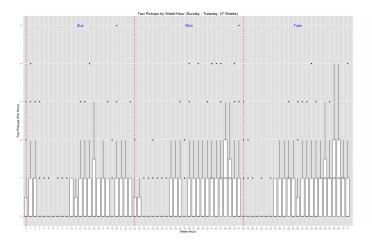
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Courant (Week 1075): 12 Taxi Pickups Per Day



Taxi Pickups by Week-Hour (Week 1075)

Courant Institute: Sunday-Tuesday, 27 Weeks



Note: At least 25%, sometimes 75%+ of counts are zero. Box plot clearly shows extreme values (ranging up to 5).

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The Prediction Problem

Somebody queries a grid cell and a week-hour, we tell them what to expect.

- Input space: $\mathfrak{X} = \{(g, h) \mid g \in \{1, ..., 398245\}$ and $h \in \{0, ..., 167\}\}$, where
 - g is the grid Cell ID and
 - *h* is the week-hour
 - Possible future inputs: Holiday? Raining? Special event?
- Action space: $A = \{Probability \text{ distributions on number of pickups}\}$
- Output space: $\mathcal{Y} = \{0, 1, 2, 3, ...\}$
 - Actual number of taxi pickups.
- Evaluation? Loss function? We'll come back to these questions...

Setting up the Learning Problem

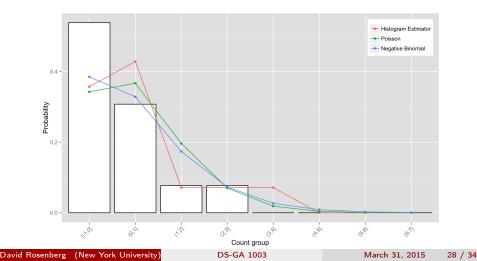
- Labeled data look like:
 - (Grid Cell = 10321, Week Hour = 120) \mapsto Count = 3
 - (Grid Cell = 192001, Week Hour = 6) \mapsto Count = 12
 - (Grid Cell = 1271, Week Hour = 154) \mapsto Count = 0
- How to split the data into a training set and a test set?

Train / Test Splits For Time-Indexed Datasets

- First idea is to randomly split instances into training and test.
- This does not reflect reality at deployment time:
 - Model trained on historical data from before deployment
 - With random split, training examples can occur after test examples.
 - For time series prediction (e.g. stock price prediction),
 - Usually want to predict some amount of time into the future.
 - Training and test data should reflect that application.
- Our approach:
 - First 14 weeks are training set.
 - Last 13 weeks are test set.

Approach 1: Full Stratification (Courant, Tuesdays 7-8pm)

- Estimate distribution for each grid cell / week hour pair.
- Colored lines are from training. White bars are from test.



Terminology: Stratification and Bucketing

Definition

We say we are **stratifying** if we partition our input space into groups, and treat each group separately. For example, in modeling we would build a separate model for each group, without information sharing across groups.

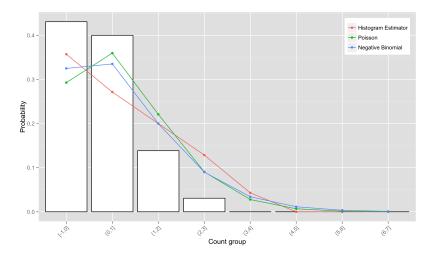
On the other hand,

Definition

We say we are **bucketing** (or **binning**) if we are combining natural groups in the data into a single group, rather than building a separate model for each group. For example, combining all weekdays together would be "bucketing".

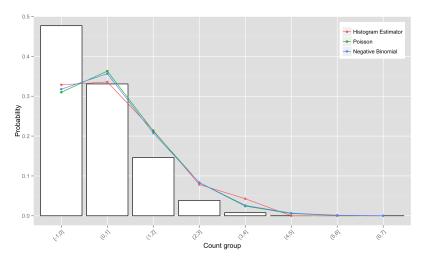
Approach 2: Weekday Bucketing (Courant, M-F 7-8pm)

• Data inspection suggests that day patterns are similar Mon-Fri.



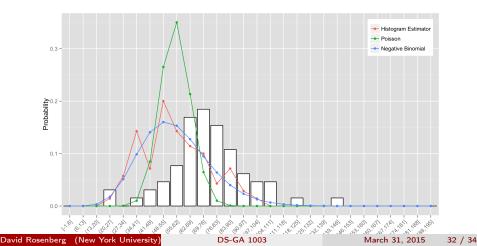
Approach 3: (Courant, M-F 6-8pm)

• Also, 6-7pm looks similar to 7-8pm, so join together



Penn Station, M-F 7-8pm

- Negative binomial fits empirical much better than Poisson. (overdispersion)
- Massive shift between train and test!



The Bias / Variance Tradeoff of Stratification

- With a separate model for every grid cell / week-hour pair, model is highly specific!
- Could capture idiosynchracy of Friday @5pm that we would miss if combining all weekdays.
 - That is, we're minimizing the bias.
- With relatively little data in a particular stratum, estimates will have high variance.
- By "bucketing", or combining strata:
 - We can reduce variance.
 - It may cost us in bias.
 - By bucketing in a smart way, you can minimize bias increase.

Is there a more convenient way?

- We can tradeoff between bias and variance by varying the stratification and the bucketing.
- It's a great way to start your data analysis.
 - You get a feel for the data and gain some intuition.
- This technique can be used for classification and regression as well.
- Our classification and regression techniques also trade off between bias and variance:
 - We had to choose our features.
 - We had to tune our regularization parameter.
- Can we do something similar for predicting distributions?
- Yes this is **generalized regression**, where the action space is a distribution rather than a real. A topic for later....